State Dependent Effects of Monetary Policy: the Refinancing Channel *

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Abstract

This paper studies how the impact of monetary policy depends on the distribution of savings from refinancing mortgages. We show that the efficacy of monetary policy is state dependent, varying in a systematic way with the pool of potential savings from refinancing. We construct a quantitative dynamic life-cycle model that accounts for our findings. Motivated by the rapid expansion of Fintech, we study the impact of a fall in refinancing costs on the efficacy of monetary policy. Our model implies that as refinancing costs decline, the effects of monetary policy become less state dependent and more powerful.

Keywords: monetary policy, state dependency, refinancing.

JEL codes: E52, G21.

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1 Introduction

In the U.S., most mortgages have a fixed interest rate and no prepayment penalties. The decision to refinance depends on the potential savings relative to the refinancing costs. In this paper, we study how the impact of monetary policy depends on the distribution of savings from refinancing the existing pool of mortgages. We show that the efficacy of monetary policy is state dependent, varying in a systematic way with the pool of savings from refinancing.

We construct a quantitative dynamic life-cycle model that highlights new trade-offs in the design of monetary policy. The key empirical properties of the model are as follows. First, it is consistent with the life-cycle dynamics of home-ownership rates, consumption of non-durable goods, household debt-to-income ratios and net worth. Second, it accounts for the probability that a mortgage is refinanced conditional on the potential savings from doing so. Third, and most importantly, the model accounts quantitatively for the state dependent nature of the effects of monetary policy on refinancing decisions that we document in our empirical work.

Our model implies that the effect of a given interest rate cut depends on the history of monetary policy choices. A given interest rate cut is less powerful when preceded by a sequence of rate hikes. When rates have been rising, many home owners have existing fixed mortgage rates lower than the current market rate. So these home owners are not motivated to refinance in response to a modest fall in the interest rate. A given interest rate cut is more powerful when preceded by a sequence of rate cuts. When rates have been falling, many consumers have fixed mortgage rates that are higher than the current market rate. So these home owners are motivated to refinance in response to an interest rate cut.

We use our model to study how the efficacy of monetary policy and the state dependency of its effects are affected by a decline in refinancing costs. This question is particularly important because of the growing share of Fintech lenders in mortgage
markets. Buchak et al. (2017) show that the market share of these lenders has increased from 4 to 15 percent between 2007 and 2015. Fuster et al. (2018) show that Fintech lenders substantially reduce the costs, broadly conceived, of refinancing. Strikingly, they find that in parts of the country where Fintech lenders have a greater presence, existing borrowers are more likely to refinance.

Our model implies that as refinancing costs decline, the effects of monetary policy become less state dependent. The intuition for this result is as follows. As refinancing costs decline, refinancing rates increase. This effect leads the distribution of savings from refinancing to vary less over time and to become more concentrated around zero. So, the effects of monetary policy become less state dependent.

The flip side of this result is that, as refinancing costs decline, monetary policy becomes more powerful. The intuition is as follows. In our model, many households face binding borrowing constraints. When refinancing costs decline, a given fall in interest rates induces more of these types of households to engage in cash-out refinancing, that is, their new mortgages are larger than the principal owed in the mortgages they refinance. These households use the additional resources to boost consumption. This transmission mechanism of monetary policy is consistent with a large empirical literature that, at least, dates back to Hurst and Stafford (2004) as well as more recent evidence from Ganong and Noel (2018).

The previous discussion about the implications of our model abstracts from the behavior of bank owners. If those owners have binding borrowing constraints and the profits of the bank rise or fall one to one by the amount that consumers save by refinancing, the refinancing channel has no aggregate effect. In fact, we think that bank owners are best characterized as being unconstrained. In our model, the consumption of unconstrained households responds by very little to a monetary policy shock. If bank owners are like these unconstrained households, they respond very little to a monetary policy shock. The response of aggregate consumption in our model comes mostly from what Kaplan, Violante and Weidner (2014) call hand-to-mouth households. These are
households whose liquid assets are less than two weeks of income.

Our work is related to a recent literature that stresses the importance of mortgage refinancing as a key channel through which monetary policy affects the economy. This literature discusses reasons for why the efficacy of monetary policy depends on the state of the economy because of supply-side considerations. For example, authors like Greenwald (2018) emphasize the importance of loan-to-value ratios and debt servicing-to-income ratios. Other authors focus on the effect of changes in house prices on the ability of households to refinance their mortgages. For example, Beraja, Fuster, Hurst, and Vavra (2018) show that regional variation in house-price declines during the Great Recession created dispersion in the ability of households to refinance.

In contrast to this literature, we focus on reasons why the efficacy of monetary policy depends on the state of the economy because of demand-side considerations, i.e. household’s desire for refinancing. We certainly believe that supply-side constraints were very important in the aftermath of the financial crisis. But we also think that demand-side considerations were very important prior to the crisis and will become increasingly important as credit markets return to normal.

Our empirical results are closely related to contemporaneous, independent work by Berger, Milbradt, Tourre, and Vavra (2018). We view their work as complementary to ours. Both papers highlight the importance of the distribution of potential savings for understanding the effects of monetary policy. In their paper, they focus on the implications of the secular decline in interest rates, while we examine the implications of the decline in transaction costs for the transmission of monetary policy.

Our paper is organized as follows. Section 2 discusses the related literature. Section 3 describes the data used in our analysis. Section 4 discusses our measures of potential savings from refinancing. Our basic empirical results are contained in Section 5. We present our quantitative life-cycle model of housing, consumption and mortgage decisions in Section 6. In Section 7, we use our model to study how the effects of monetary policy depend on the history of interest rates and the costs of refinancing. Section 8
provides some conclusions.

2 Related literature

Our paper relates to three strands of literature. The first strand is a large body of empirical work that studies consumption and refinancing responses to interest rate changes. This literature shows that households increase their expenditures when they reduce their mortgage payments and engage in cash-out refinancing (see, e.g. Mian, Rao and Sufi (2013), Chen, Michaux, and Roussanov (2013), Khandani, Lo, and Merton (2013), Bhutta and Keys (2016), Di Maggio et al. (2017), Agarwal et al. (2017), Abel and Fuster (2018), and Beraja et al. (2018)). In this paper, we extend the existing literature by showing that the effects of interest rate changes on refinancing and real outcomes depend on the distribution of mortgage rates. This type of state dependency differs from the state dependency based on loan-to-valuation constraints or home equity emphasized by Beraja et al. (2018).

The second strand of literature focuses on the role of the mortgage market in the transmission of monetary policy. Garriga, Kydland and Sustek (2017) and Greenwald (2016) model the transmission mechanism using a representative borrower and saver model. In contrast, we use an heterogeneous agent, life-cycle model that features transaction costs and borrowing constraints. Our model is most closely related to Guren, Krishnamurthy, and McQuade (2017), Hedlund et al. (2017), Kaplan, Violante and Mittman (2017), Auclert (2017), Wong (2018), and Kaplan, Violante and Moll (2018). In contrast to these papers, we focus on the state dependent effects of monetary policy, and how these effects are shaped by past interest rate decisions made by the Federal Reserve.

The third strand of literature studies the distribution of mortgage rates across borrowers and emphasizes the role of transaction costs and inattention in explaining refinancing decisions. Examples include Bhutta and Keys (2016) and Andersen et al.
(2018). In this paper, we extend the existing literature by studying how the distribution of mortgage rates varies over time.

3 Data

Our empirical work is primarily based on Core Logic Loan-Level Market Analytics, a loan-level panel data set with observations beginning in 1993. These data include borrower characteristics (e.g. FICO and ZIP code) and loan-level information. The latter includes the principal of the loan, the mortgage rate, the loan-to-value ratio (LTV), and the purpose of the loan (whether it refinances an existing loan or finances the purchase of a new house).

For each borrower, we obtain county-level demographic information including age structure, share of employment in manufacturing, lender competitiveness, measures of home equity accumulation, educational attainment, unemployment, and per capita income. We describe these variables in the Appendix. We also obtain county-level housing permits from the Census Building Permits Survey.

We use the Freddie Mac Single Family Loan-Level dataset to study cash-out refinancing, defined as instances in which households increase the loan balance when they refinance. These data is available since 1999.

In addition, we obtain aggregate time-series variables, including forecasts of unemployment, inflation and GDP from the Survey of Professional Forecasters. We obtain time-series of the Federal Funds Rate, house price and rental rates, and income per capita from the Federal Reserve Bank of St. Louis. Finally, we obtain measures of expected inflation from the Federal Reserve Bank of Cleveland.

Throughout, we confine our analysis to fixed-rate 30-year mortgages. Our results are robust to considering mortgages of different maturities. In our benchmark analysis, we end the sample in 2007. This decision is motivated by the widespread view that

\footnote{FICO is the acronym for the credit score computed by the Fair Isaac Corporation.}
credit constraints were much more prevalent during the financial crisis period (see e.g. Mian and Sufi (2014) and Beraja et al. (2018)) than in the preceding period.

4 Measuring the potential savings from refinancing

A key variable in our analysis is the potential savings that a household would realize by refinancing its mortgage at the current mortgage rate. Potential savings depend on a variety of factors, including the old and new mortgage interest rates, outstanding balances and the precise refinancing strategy that a household pursues. In general, it is not possible to construct a simple, non-parametric summary statistic of these potential savings. We consider two measures of potential savings, which we discuss below. These measures are variants of those used in a large literature that studies prepayment risk (see, e.g. Gabaix, Krishnamurthy, and Chernov (2007), Diep, Eisfeldt, and Richardson (2017), and Dunn and Longstaff (2018)).

The average interest-rate gap. Our first measure of potential savings from refinancing is based on the difference between the current and the alternative mortgage rate that the household $i$ could refinance at. We compute the average of time-$t$ interest-rate gaps between new and old loan as:

$$A_{1t} = \frac{1}{n_t} \sum_{i=1}^{n_t} \left[ r_{it}^{\text{old}} - r \left( \text{FICO, region} \right)_{it}^{\text{new}} \right].$$  

(1)

Here, $r \left( \text{FICO, region} \right)_{it}^{\text{new}}$ is the interest rate at time $t$ for a new 30-year conforming mortgage for the same FICO and region as the original mortgage. We group FICO scores into the following bins: below 600, 600 − 620, 620 − 640,...,760 − 780, and greater than 780. The variable $n_t$ denotes the number of mortgages outstanding at time $t$. We refer to $A_{1t}$ as the average interest-rate gap. This gap is a real variable, since it is based on the difference between two nominal interest rates. The annualized unconditional quarterly mean and standard deviation of $A_{1t}$ are −14 basis points and
70 basis points, respectively. We condition on region to capture the possibility that mortgage rates vary by region, say because of differences in income or house price growth.\(^2\) We also considered versions of \(r(.|\text{new})_{it}\) that condition in a non-parametric way on additional variables like the loan-to-valuation ratio or the mortgage balance. Adding these measures did not significantly improve the ability of \(r(.|\text{new})_{it}\) to fit of the cross-sectional variation of interest rates across new borrowers.

The virtue of this measure is that it doesn’t impose any assumptions about the household’s refinancing decision. The downside is that it abstracts from relevant information such as outstanding balances or the characteristics of the new mortgage (e.g. duration and fixed versus variable interest rates).

In the Appendix we consider two alternative measures of the interest-rate gap. The first, is the average positive interest-rate gap. This measure is constructed with a version of equation (1) using only the mortgages for which \(r_{it}^{\text{old}} > r(FICO, \text{region})_{it}^{\text{new}}\). The second measure is the average gap between the current mortgage rate and the refinancing threshold rate computed by Agarwal, Driscoll and Laibson (2013). This threshold rate is optimal under particular assumptions.\(^3\) As it turns out, our results are very robust to using these alternative measures.

**Average savings from a simple refinancing strategy.** Our second measure of the potential savings from refinancing is based on the present value of savings from pursuing the following simple refinancing strategy: the existing loan is refinanced with a FICO-specific 30-year fixed-rate mortgage and the new loan is repaid over the remaining life of the mortgage being refinanced. To simplify the notation, we suppress the dependence of the interest rate on FICO score and region.

\(^2\)As a practical matter, we find that our results are robust to not conditioning on the region. This finding is consistent with results in Hurst, Keys, Seru and Vavra (2016) who find little evidence of spatial variation in the level of interest rates.

\(^3\)This threshold is computed under two assumptions. First, real mortgage interest rate and inflation are Brownian motions. Second, the mortgage is structured so that its real value remains constant until an endogenous refinancing event or an exogenous Poisson repayment event.
Consider a 30-year mortgage with a fixed interest rate $r^{old}$ that was originated at $T - 30$ and matures at time $T$. The loan is repaid with fixed payments which we denote by $\text{Payment}^{old}$. These payments are given by:

$$\text{Balance}_{T-30} = \sum_{k=1}^{30} \frac{\text{Payment}^{old}}{(1 + r^{old})^k}.$$  

If the person refinances at the beginning of time $t$, before the mortgage payment is due, the balance owned on the old loan is given by the present value of the remaining payments:

$$\text{Balance}_t = \sum_{k=t}^{T} \frac{\text{Payment}^{old}}{(1 + r^{old})^{(k-t)}}.$$  

The balance of the new mortgage is the same as that of the old mortgage. The new mortgage payment is computed assuming that the mortgage is paid off over a 30-year period:

$$\text{Balance}_t = \sum_{k=1}^{30} \frac{\text{Payment}^{new}}{(1 + r^{new})^k}.$$  

The present value of savings associated with this refinancing strategy is:

$$\text{Savings}_t = \left[ \sum_{k=t}^{T} \frac{\text{Payment}^{old} - \text{Payment}^{new}}{(1 + r^{new})^{(k-t)}} \right] - \frac{\text{Balance}_T}{(1 + r^{new})^{T-t}}, \quad (2)$$

where $\text{Balance}_T$ is the balance of the refinanced mortgage at time $T$. We can rewrite equation (2) as:

$$\text{Balance}_t + \text{Savings}_t = \left[ \sum_{k=t}^{T} \frac{\text{Payment}^{old}}{(1 + r^{new})^{(k-t)}} \right].$$

This equation shows that if the household chooses its new mortgage so that the new mortgage payment is equal to the old mortgage payment, it can cash out $\text{Savings}_t$. They do so by borrowing $\text{Balance}_t + \text{Savings}_t$, and using $\text{Balance}_t$ to pay the old mortgage. With this strategy, the household takes out a mortgage loan that is larger than the existing mortgage loan and receives the difference between the two loans in cash.
We convert our nominal measures of potential savings into real terms using the Consumer Price Index (base year 1999). We construct this measure of savings for every mortgage at time $t$. We then compute the average level of savings at time $t$. We denote the average level of savings across mortgages by $A_{2t}$:

$$A_{2t} = \frac{1}{n_t} \sum_{i=1}^{n_t} \text{Savings}_{it}. \quad (3)$$

The unconditional quarterly mean and standard deviation of the average savings from refinancing are $-294$ and $2,424$ dollars, respectively.

We now discuss the empirical properties of our two measures. Figure 1 displays the real 30-year mortgage rate constructed using the 30-year annualized expected inflation rate obtained from the Federal Reserve Bank of Cleveland.\(^4\) Notice that there are several turning points in these data. For illustrative purposes, we focus on two of these points: 1997q4 and 2000q4.

Figure 2 displays the distribution of the interest-rate gap across mortgages in 1997q4 and 2000q4. The two distributions are very different. In 1997q4, about 60 percent of mortgages had a positive interest-rate gap. In contrast, only 10 percent of mortgages had a positive interest-rate gap in 2000q4. Similarly, the average interest-rate gap was much higher in 1997q4 ($0.55$ percent) than in 2000q4 ($-1.3$ percent).

Figure 3 displays the distribution of Savings, in 1997q4 and 2000q4. Again, the two distributions are very different. In 1997q4, Savings was positive for 60 percent of the mortgages. By 2000q4, only 10 percent of mortgages had positive savings. Similarly, average potential savings were also much higher in 1997q4 ($3,320$) than in 2000q4 ($-5,632$).

We also considered a measure of savings from refinancing constructed with a version of equation (3) that uses only mortgages for which Savings$_{it} > 0$. As it turns out, our results are very robust to using this alternative measure.

\(^4\)This expected inflation measure is constructed using Treasury yields, inflation data, inflation swaps, and survey-based measures of inflation expectations according the methodology described in Haubrich, Pennacchi, and Ritchken (2011).
5 Empirical results

In this section, we study how the impact on refinancing activity of a change in the mortgage rate depends on the distribution of potential savings from refinancing. First, we establish some basic correlations estimated with ordinary least squares (OLS). Second, we develop and implement an instrumental-variable (IV) strategy for measuring the marginal effect of a drop in mortgage rates on the fraction of loans that are refinanced. Third, we display how this marginal effect has varied over time. Finally, we show that an increase in refinancing translates into a broader increase in economic activity.

5.1 State dependency and the efficacy of monetary policy

In this section, we investigate how the effect of monetary policy on refinancing activity depends on the state of the economy. We begin by considering the regression:

$$
\rho_{t+4}^c = \beta_0 X^c + \beta_1 \Delta R_t^M + \beta_2 \Delta R_t^M \times A_{j,t-1}^c + \beta_3 A_{j,t-1}^c + \eta_t^c.
$$

(4)

Here, $\rho_{t+4}^c$ is the fraction of mortgages refinanced in county $c$ between quarters $t$ and $t + 4$, $X^c$ is a vector of county fixed effects, and $\Delta R_t^M$ denotes the percentage fall in our measure of the mortgage rate. The variable $A_{j,t-1}^c$ is a measure of the benefits from refinancing in county $c$ at time $t - 1$. When $j = 1$, $A_{j,t-1}^c$ is the average interest-rate gap for mortgages in county $c$. When $j = 2$, $A_{j,t-1}^c$ is the average savings for mortgages in county $c$. The coefficient $\beta_1$ measures the effect of a change in mortgage rates when $A_{j,t-1}^c$ is zero. The coefficient $\beta_2$ measures how the effect of an interest rate change depends on the level of $A_{j,t-1}^c$. The identification of $\beta_1$ and $\beta_2$ comes from both cross-sectional and time-series variation in the response of refinancing to interest rate changes.\(^5\)

\(^5\)If the mortgage rate falls by 25 basis points, $\Delta R_t = 0.25$. Defining $\Delta R_t$ as the fall in the interest rate instead of the interest rate change makes the regression coefficients easier to interpret.

\(^6\)In practice, most of the variation in refinancing rates comes from time series variation in interest rates. One way to see this result is to regress the rate of refinancing in county $c$ at time $t$ on time and
Panels A and B of Table 1 report results for the case where $A_{j,t-1}^c$ is the average interest-rate gap and the average savings from refinancing, respectively. Column 1 reports results when regression (4) is estimated by OLS. In both panels, $\beta_1$ and $\beta_2$ are statistically significant at least at a 5 percent significance level. While suggestive, it is hard to give a causal interpretation to these results because of potential endogeneity bias caused by any omitted variable that affects both mortgage rates and savings from refinancing. For example, suppose that during a recession more people are unemployed and therefore less willing to incur the fixed costs associated with refinancing. Also, suppose that the recession occurred because the Fed raised interest rates. Then, $\Delta R_t^M$ and $\Delta R_t^M \times A_{j,t-1}^c$ would be positively correlated with $\eta_t^c$ creating a downward bias in $\beta_1$ and $\beta_2$.

To deal with the endogeneity problem, we estimate regression (4) using an IV strategy. We use two instruments for $\Delta R_t^M$ that exploit exogenous changes in monetary policy. The instruments are based on high-frequency movements in the Federal Funds futures rate and the two-year Treasury bond yield in a small window of time around Federal Open Market Committee (FOMC) announcements.\footnote{This approach has been used by Kuttner (2001), Gürkaynaka, Sack and Swanson (2005), Cochrane and Piazzesi (2002), Nakamura and Steinsson (2018), Gorodnichenko and Weber (2015), and Wong (2017), among others.}

In the case of the Federal Funds futures, the monetary policy shock is defined as:

$$\epsilon_t = \frac{D}{D-t} (y_{t+\Delta^+} - y_{t-\Delta^-}) .$$

Here, $t$ is the time when the FOMC issues an announcement, $f f_{t+\Delta^+}$ is the Federal Funds futures rate shortly after $t$, $f f_{t-\Delta^-}$ is the Federal Funds futures rate just before $t$, and $D$ is the number of days in the month. The $D/(D-t)$ term adjusts for the fact that the Federal Funds futures settle on the average effective overnight Federal Funds rate. We consider a 60-minute window around the announcement that starts $\Delta^- = 15$ minutes before the announcement. This narrow window makes it highly likely that

\footnote{County fixed effects account for less than 20 percent of the variation in refinancing rates.} county fixed effects.
the only relevant shock during that time period (if any) is the monetary policy shock. Following Cochrane and Piazzesi (2002) and others, we aggregate the identified shock to construct a quarterly measure of the monetary policy shock. This aggregation relies on the assumption that shocks are orthogonal to economic variables in that quarter. The standard deviation of the implied monetary policy shock is 0.12.

In the Appendix, we redo our empirical analysis for a monetary policy shock measured using the 2-year Treasury yield:

$$\epsilon_t = y_t^{0+} - y_t^{0-}.$$ 

**Instrumental variable results.** We begin by providing evidence that monetary policy shocks are a strong instrument for changes in mortgage rates. First, we show that monetary policy shocks significantly affect mortgage rates. To this end, we estimate via OLS the contemporaneous change in the 30 year mortgage rate after a one percentage point monetary policy shock. We obtain a point estimate of 60 basis points a standard error of 25 basis points, so our estimates are significant at a 5 percent level. Taking sampling uncertainty into account, our estimates are consistent with those of Gertler and Karadi (2015), which range from 0.17 to 0.48.

Second, we estimate the following first-stage regressions:

$$\Delta R^M_t = \alpha_0 + \alpha_1 \epsilon_t + \alpha_2 \bar{z}_t \times A^c_{j,t-1} + \eta_1 t,$$

$$\Delta R^M_t A^c_{j,t-1} = \gamma_0 + \gamma_1 \epsilon_t + \gamma_2 \bar{z}_t \times A^c_{j,t-1} + \eta_2 t.$$

Table 2 reports our results. In all cases, the $F$ test for the joint significance of the regression coefficients is greater than ten. This result is consistent with the notion that policy shocks are strong instruments.

Column 2 of Table 1 reports our benchmark IV estimates of the coefficients in regression (4). Other than county fixed effects, the benchmark regression does not include additional controls because they are not necessary under the null hypothesis that the monetary policy shocks are valid instruments.
Consider first the results for the case where $A_{c,t-1}$ is the average interest-rate gap. Both $\beta_1$ and $\beta_2$ are significant at the one percent significance level. To interpret these coefficients, suppose that all the independent variables in regression (4) are initially equal to their time-series averages and that the average interest-gap is initially equal to its mean value of −14 basis points. The estimates in column 2 of Panel A of Table 1 imply that a 25 basis points drop in mortgage rates raises the share of loans refinanced to 8.6 percent. Now suppose that the drop in mortgage rates happens when the average interest-rate gap is equal to 56 basis points, which is the mean value of −14 basis points plus one standard deviation 70 basis points. Then, a 25 basis points drop in mortgage rates raises the share of loans refinanced to 15.4 percent. So, the marginal impact of a one standard deviation increase in the average interest-rate gap is 6.8 percent. This effect is large relative to the average annual refinancing rate, 8.5 percent.

Consider next the results for the case where $A_{c,t-1}$ is the average of savings from refinancing. Here, both $\beta_1$ and $\beta_2$ are significant at the one percent level. To interpret these coefficients, suppose that all the independent variables in regression (4) are initially equal to their time-series averages and that average of savings are initially equal to its mean value of −$294. Our estimates in column 2 of Panel B of Table 1 imply that a 25 basis points drop in mortgage rates raises the share of loans refinanced to 10.7 percent. Now suppose that the drop in mortgage rates happens when the average savings from refinancing is equal to $2,130, which is the mean value of (−$294) plus one standard deviation ($2,424). Then the refinancing rate rises to 13.6 percent. So, the marginal impact of a one standard deviation increase in the average savings from refinancing is 2.9 percentage points.

We now consider the robustness of our results to including various controls in our analysis. To this end, we estimate the following regression using our IV procedure:

$$\rho_{t+4}^c = \beta_0 X^c + \beta_1 \Delta R_M^t + \beta_2 \Delta R_M^t \times A_{c,j,t-1} + \beta_3 A_{c,j,t-1}^c + \beta_4 Z_{t-1} + \eta_t^c.$$  

Here, the vector $Z_{t-1}$ denotes a set of time-varying controls. Motivated by results in
Nakamura and Steinsson (2018), we first include as controls the average forecast of the Survey of Professional Forecasters (SPF) for the following variables: real GDP growth (two year ahead), the civilian unemployment rate (two years ahead), and the CPI inflation rate (one and two years ahead).\(^8\)

Our estimates are reported in column 3 of Table 1. Consider first the results for the case where \(A_{j,t-1}^c\) is the average interest-rate gap reported in Panel A. The key finding is that including these controls has little impact on our results, certainly not on the key parameter of interest, \(\beta_2\). The point estimates of \(\beta_2\) are higher once we include the additional controls. But, taking sampling uncertainty into account, the estimates of \(\beta_2\) are not significantly affected by the presence of the controls. Next consider the results for the case where \(A_{j,t-1}^c\) is the average savings, reported in Panel B. The point estimates of \(\beta_1\) and \(\beta_2\) rise and are statistically significant at the one percent significance level.

Next, we use our IV procedure to estimate a version of our regression that also includes \(Z_{t-1}^c\), a set of time-varying county controls:

\[
\rho_{t+4} = \beta_0 X^c + \beta_1 \Delta R_t^M + \beta_2 \Delta R_t^M \times A_{j,t-1}^c + \beta_3 A_{j,t-1}^c + \beta_4 Z_{t-1} + \beta_5 Z_{t-1}^c + \eta_t^c. \tag{6}
\]

The variable \(Z_{t-1}^c\) includes the following county-level controls: the unemployment rate, average log-change in real home equity, median age, share of employment in manufacturing, share of college educated and a Herfindahl index of the mortgage sector.\(^9\) We include the latter index, developed in Scharfstein and Sunderam (2013), to capture any variation in pass through by region, induced by time variation in competition across counties.

We report our results in column 4 of Table 1. Consider first the results for the case where \(A_{j,t-1}^c\) is the average interest-rate gap, reported on Panel A. The estimated

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\(^8\)The data was obtained from the Federal Reserve Bank of Philadelphia, https://www.philadelphiafed.org/research-and-data/real-time-center/survey-of-professional-forecasters/data-files

\(^9\)Our results are robust to including as additional controls the fraction of mortgages in county \(c\) that have adjustable rates and the interaction of this variable with the monetary policy shock.
values of $\beta_1$ and $\beta_2$ are statistically significant at the one percent significance level. Taking sampling uncertainty into account, the values of these coefficients are similar to our benchmark estimates.

Consider next the results, reported in Panel B, for the case where $A_{j,t-1}^c$ is the average of savings from refinancing. For both policy shock measures the estimates of $\beta_1$ and $\beta_2$ are statistically significant at least at the one-percent significance level. The values of $\beta_1$ and $\beta_2$ are somewhat higher than the benchmark estimates.

Finally, as a further robustness test, we also included in regression (6) interactions of the form $\Delta R_t^m Z_{t-1}^c$. We describe these effects in the Appendix. The implied estimates of $\beta_2$ are statistically indistinguishable from those reported in columns 4 of Table 1. The fact that including the interaction terms does not change the estimated elasticities implies that the state dependency that we highlight is distinct from other potential mechanisms explored in the literature. These mechanisms include, for instance, differential responses in refinancing to a decline in mortgage rates due to differences in competitiveness of the local lending market. It is also distinct from state dependency related to variation in the value of home equity across counties.

5.2 Cash-out refinancing

In this subsection, we use Freddie Mac’s data on single-family loans to study how cash-out refinancing responds to changes in mortgage rates. Cash-out refinancing occurs when the balance of the new mortgage is higher than that of the old mortgage. We know from Mian and Sufi (2011) that households predominantly use this type refinancing to increase their consumption. So, cash-out refinancing plays an important role in the determining the effects of changes in interest rates on consumption.

We run a version of regression (4) in which the dependent variable is the fraction of total loans with cash-out refinancing in county $c$ between quarters $t$ and $t + 4$. Panels A and B of Table 3 report our results.

Consider first the results for the case where $A_{j,t-1}^c$ is the average interest-rate gap.
Both $\beta_1$ and $\beta_2$ are significant at the one percent significance level. To interpret these coefficients, suppose that all the independent variables in regression (4) are initially equal to their time-series averages and that the average interest-gap is initially equal to its mean value of $-14$ basis points. The estimates in column 2 of Panel A of Table 3 imply that a 25 basis points drop in mortgage rates raises the share of loans with cash-out refinancing to 7.6 percent. Now suppose that the drop in mortgage rates happens when the average interest-rate gap is equal to 56 basis points, which is the mean value of $-14$ basis points plus one standard deviation 70 basis points. Then, a 25 basis points drop in mortgage rates raises the share of loans with cash-out refinancing to 13.8 percent. So, the marginal impact of a one standard deviation increase in the average interest-rate gap is 6.2 percent. This effect is large relative to the average annual cash-out refinancing rate, 5.5 percent.

Consider next the results for the case where $A^c_{j,t-1}$ is the average of savings from refinancing. The coefficients $\beta_1$ and $\beta_2$ are also significant at the one percent level. To interpret these coefficients, suppose that all the independent variables in regression (4) are initially equal to their time-series averages and that average of savings are initially equal to its mean value of $-$294. Our estimates in column 2 of Panel B of Table 3 imply that a 25 basis points drop in mortgage rates raises the share of loans with cash-out refinancing to 9.5 percent. Now suppose that the drop in mortgage rates happens when the average savings from refinancing is equal to $2,130$, which is the mean value of $(-294) plus one standard deviation ($2,424). Then, the cash-out refinancing rate rises to 12.8 percent. So, the marginal impact of a one standard deviation increase in the average savings from refinancing is 3.3 percentage points.

We also run a version of regression 4 in which the dependent variable is the log change in the balance of the mortgages with cash-out refinancing. Panels A and B of Table 4 report our results.

Consider first the results for the case where $A^c_{j,t-1}$ is the average interest-rate gap. Both $\beta_1$ and $\beta_2$ are significant at the one percent significance level. To interpret these
coefficients, suppose that all the independent variables in regression (4) are initially equal to their time-series averages and that the average interest-gap is initially equal to its mean value of $-14$ basis points. The estimates in column 2 of Panel A of Table 4 imply that a 25 basis points drop in mortgage rates raises the balance of the mortgages with cash-out refinancing by 3.3 percent. Now suppose that the drop in mortgage rates happens when the average interest-rate gap is equal to 56 basis points, which is the mean value of $-14$ basis points plus one standard deviation 70 basis points. Then, a 25 basis points drop in mortgage rates raises the balance of the mortgages with cash-out refinancing by 6.4 percent. So, the marginal impact of a one standard deviation increase in the average interest-rate gap is 3.1 percent. The median mortgage balance in 2007 was roughly $123,000. So, an increase in mortgage balance of 3 percent translates into an equity extraction of roughly $3,700, a substantial amount of cash that becomes available for consumption.

Consider next the results for the case where $A_{j,t-1}^c$ is the average of savings from refinancing. The coefficients $\beta_1$ and $\beta_2$ are also significant at the one percent level. To interpret these coefficients, suppose that all the independent variables in regression (4) are initially equal to their time-series averages and that average of savings are initially equal to its mean value of $-294$. Our estimates in column 2 of Panel B of Table 4 imply that a 25 basis points drop in mortgage rates raises the balance of the mortgages with cash-out refinancing by 3 percent. Now suppose that the drop in mortgage rates happens when the average savings from refinancing is equal to $2,130$, which is the mean value of $(-294)$ plus one standard deviation $(2,424)$. Then, the balance of the mortgages with cash-out refinancing rises by 4.9 percent. So, the marginal impact of a one standard deviation increase in the average savings from refinancing is 1.9 percentage points.

In sum, we find that there are important state dependent effects in the percentage of mortgages with cash-out refinancing.
5.3 Refinancing and economic activity

We now study how a change in mortgage rates affects economic activity. In our analysis, we use monthly data on the number of permits required for new privately-owned residential buildings from the Census Building Permits Survey, aggregated to quarterly frequency. This series, which starts in 2000, is of particular interest to us because it is the only component of the Conference Board’s leading indicator index available at the county-level.

We begin by considering the regression where the dependent variable is the annual log-change in new building permits:

\[ \Delta \log \text{Permits}_{t,t+4} = \theta_0 X^c + \theta_1 \Delta R^M_t + \theta_2 \Delta R^M_t \times A^c_{j,t-1} + \theta_3 A^c_{j,t-1} + \eta^c_t, \]  

(7)

Our results are reported in Table 5. Panel A and B report results for the case where \( A^c_{j,t-1} \) is the average interest-rate gap and average savings from refinancing, respectively. Column 1 reports results when regression (7) is estimated by OLS. In both panels, \( \theta_1 \) and \( \theta_2 \) are statistically significant at least at a 5 percent significance level. Column 2 of Table 5 reports the IV estimates of regression (7).

Consider first the results for the case where \( A^c_{j,t-1} \) is the average interest-rate gap. Both \( \theta_1 \) and \( \theta_2 \) are significant at least at a one percent significance level. To interpret the point estimates suppose that all the independent variables in regression (7) are initially equal to their time-series averages. The estimates in column 2 imply that a 25 basis points drop in mortgage rates raises the percentage change in new permits to 17.0. Now suppose that the drop in mortgage rates happens when the average interest-rate gap is equal to 56 basis points, which is the mean value of (−14 basis points) plus one standard deviation (70 basis points). Then a 25 basis points drop in mortgage rates raises the percentage change in new permits to 23.6 percent. So, the marginal impact of a one standard deviation increase in the average interest-rate gap is 6.6. This effect is large relative to a one standard deviation change in housing permits, which is 26 percent.

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Consider next the results for the case where $A_{j,t-1}^c$ is the average of savings from refinancing. Both $\theta_1$ and $\theta_2$ are significant at the one percent level. Our estimates in column 2 of Table 4, Panel B imply that a 25 basis points drop in mortgage rates raises the percentage change in new permits to 14.1 percent. Now suppose that the drop in mortgage rates happens when the average savings from refinancing is initially equal to $2,130, which is the mean value of ($-$294) plus one standard deviation ($2,424). Then, the refinancing rate rises to 22.6 percent. So, the marginal impact of a one standard deviation increase in the average savings from refinancing is 8.5 percentage points. Finally, as a further robustness test, we include time-varying county-level controls in regression (7). The implied estimates of $\theta_2$ reported in column 4 are not statistically different from those reported in column 2.

Overall, we view the results of this section as providing strong support for two hypotheses. First, the effect of a change in the interest rate on refinancing activity is state dependent. When measures of the average gains from refinancing are high, a given fall in interest rate induces a larger rise in refinancing activity. Second, the effect of a change in the interest rate on economic activity, as measured by new housing permits, is state dependent in a similar way. This result is consistent with the results in Di Maggio, Kermani, Keys, Piskorski, Ramcharan, Seru, and Yao (2017). These authors show that households who experience a drop in monthly mortgage payments increase their car purchases. It is also consistent with results in Berger, Milibrandt, Tourre and Vavra (2018) who show that there is state-dependant rise in auto registrations when interest rates fall. Taken together, these results imply that the effect of a change in monetary policy is state dependent.

6 A life-cycle model

To analyze the state dependent effects of monetary policy, we develop a version of the life-cycle model of mortgage refinancing proposed in Wong (2016) that allows for state
dependency in the aggregate state variables. We use the model for two purposes. First, to interpret our empirical results on the state dependency of the refinancing channel of monetary policy. Second, to study the impact of the observed long-term decline in refinancing costs on the efficacy and state dependency of monetary policy.

It is evident that there is a great deal of heterogeneity across households in their propensity to refinance in response to an interest rate cut. One way to capture that heterogeneity in refinancing behavior is to allow for a great deal of heterogeneity in unobserved fixed costs of refinancing. An alternative, is to model that heterogeneity in refinancing behavior as reflecting demographics, initial asset holdings and idiosyncratic income shocks. We choose the second strategy to minimize the role of unobservable heterogeneity. An advantage of this approach is that it is consistent with the positive correlation between consumption growth and refinancing decisions at the household level. This correlation is important for generating a response of aggregate consumption to interest rate changes.\(^\text{10}\)

The economy is populated by a continuum of people indexed by \(j\). We think of the first period of life as corresponding to 25 years of age. Each person can live up to 60 years. The probability of dying at age \(a\) is given by \(1 - \pi_a\). Conditional on surviving, people work for 40 years and retire for 20 years. People die with probability one at age \(T = 85\).

The momentary utility of person \(j\) at age \(a\) and time \(t\) is given by:

\[
u_{jat} = \frac{(c_{jat}^\alpha h_{jat}^{1-\alpha})^{1-\sigma} - 1}{1 - \sigma}, \quad \sigma > 0.
\]

Here, \(c_{jat}\) and \(h_{jat}\) denote the consumption and housing services of person \(j\) with age \(a\), respectively. Agents derive housing services from either renting or owning a house. Renters can freely adjust the stock of rental housing in each period. Homeowners pay a

\(^{10}\)Recent work that emphasizes the correlation between household consumption and interest rate changes for understanding the behavior of aggregate consumption includes Auclert (2018), Kaplan, Violante and Moll (2018), and Wong (2018)
lump-sum transaction cost $F$ when they enter a new mortgage or refinance an existing mortgage. The stock of housing depreciates at rate $\delta$.

Upon death, the wealth of person $j$ with age $a$, $W_{jat}$, is passed on as a bequest.\footnote{If the agent has an outstanding mortgage upon death, the house is sold to pay the mortgage and the remainder of the estate is passed on as a bequest.} Person $j$ derives utility $B \left( W_{jat}^{1 - \sigma} - 1 \right) / (1 - \sigma)$ from a bequest, where $B$ is a positive scalar.

The time-$t$ labor income of person $j$ at age $a$, $y_{jat}$, is given by:

$$\log(y_{jat}) = \chi_a + \eta_{jt} + \phi_a Y_t. \quad (8)$$

Here $\chi_a$ and $\eta_{jt}$ are a deterministic age-dependent component and a stochastic, idiosyncratic component of $y_{jat}$, respectively. We assume that

$$\eta_{jt} = \rho_{\eta} \eta_{jt-1} + \varepsilon_{nt},$$

where $|\rho_{\eta}| < 1$ and $\varepsilon_{nt}$ is a white noise process with the standard error, $\sigma_{\eta}$. The variable $Y_t$ denotes aggregate real income. The term $\phi_a$ captures the age-specific sensitivity of $y_{jat}$ to changes in aggregate real income.

As in Guvenen and Smith (2014), we assume that a person receives retirement income that consists of a government transfer. The magnitude of this transfer is a function of the labor income earned in the year before retirement.

**Mortgages.** Home purchases are financed with fixed rate mortgages. An individual $j$ who enters a mortgage loan at age $a$ in date $\tau$, pays a fixed interest rate $R_{ja\tau}$ and makes a constant payment $M_{ja\tau}$. The mortgage principal evolves according to:

$$b_{j,a+1,t+1} = b_{jat}(1 + R_{ja\tau}) - M_{ja\tau}.$$ 

Mortgages are amortized over the remaining life of the individual. So, the maturity of a new loan for an $a$-year old person is $m(a) = T - a$. The fixed interest rate $R_{ja\tau}$ is
equal to $r_{m(a)}$, which is the time-$\tau$ market interest rate for a mortgage with maturity $m(a)$.

The mortgage payment, $M_{j\tau}$, is given by:

$$M_{j\tau} = \frac{b_{j\tau}}{\sum_{k=1}^{m(a)}(1 + R_{j\tau})^{-k}}. \quad (9)$$

If a person refinances at time $t$, the new mortgage rate is given by the current fixed mortgage rate:

$$R_{jat} = r_{m(a)}. \quad (10)$$

**Bond holdings.** A person can save by investing in a one-year bond that yields an interest rate of $r_t$. The variable $s_{jat}$ denotes the time-$t$ bond holdings of person $j$ who is $a$ years old. Bond holdings have to be non-negative, $s_{jat} \geq 0$.

**Loan-to-value constraint.** At the time of origination, the size of a mortgage loan must satisfy the constraint:

$$b_{jat} \leq (1 - \phi)p_th_{jat}. \quad (11)$$

Here, $p_t$ is the time-$t$ price of a unit of housing and $\phi p_th_{jat}$ is the minimum down payment on a house.

**State variables.** The state variables are given by $z = \{a, \eta, K, S\}$. Here, $a$, $\eta$, and $K$ denote age, idiosyncratic labor income, and asset holdings, respectively. The vector $K$ includes short-term asset holdings ($s$), the housing stock ($h_{OWN}$ for homeowners, zero for renters), the mortgage balance ($b$ for homeowners, zero for renters), and the interest rate ($R$) on an existing mortgage. Finally, $S$ denotes the aggregate state of the economy which consists of the logarithm of real output, $y_t$, the logarithm of real housing prices, $p$, the real interest rate on short-term assets, $r$, and the logarithm of economy-wide average positive savings from refinancing, $A$. We assume that $S_t$ is a stationary stochastic process.
Mortgage interest rate and rental rates. It is well known that it is difficult for traditional asset pricing models to account for the empirical properties of mortgage interest rates, rental rates and housing prices (see Piazzesi and Schneider (2016)). For this reason, we assume that these variables depend on the aggregate state of the economy via functions that we directly specify with reference to the data. This approach allows the model to be consistent with the empirical properties of these variables.

The interest rate of a mortgage with maturity $m$, $r^m_t$, is given by

$$r^m_t = a_0^m + a_1^m r_t + a_2^m y_t. \quad (10)$$

This formulation captures, in a reduced-form way, both the term-premia and changes in risk-premia that arise from shocks to the aggregate state of the economy.

The rental rate is given by:

$$\log(p^r_t) = \alpha_0 + \alpha_1 r_t + \alpha_2 y_t + \alpha_3 p_t. \quad (11)$$

Value functions. We write maximization problems in a recursive form. To simplify notation, we suppress the dependence of variables on $j$ and $t$. We denote by $V(z)^{\text{rent}}$, $V(z)^{\text{own & no-adjust}}$, and $V(z)^{\text{own & adjust}}$ the value functions associated with renting, owning a home and not refinancing, and owning a home and refinancing, respectively. A person’s overall value function, $V(z)$, is the maximum of these value functions:

$$V(z) = \max \{V(z)^{\text{rent}}, V(z)^{\text{own & no-adjust}}, V(z)^{\text{own & adjust}}\}. \quad (12)$$

A renter maximizes

$$V(z)^{\text{rent}} = \max_{c,h^{\text{rent}},s} \left[ u(c,h^{\text{rent}}) + \beta \mathbb{E}[V(z')] \right], \quad (13)$$

subject to the budget constraint,

$$c + s' + p^r h^{\text{rent}} = y + (1 - \delta) p h^{\text{own}} + (1 + r)s - b(1 + R), \quad (14)$$

and the borrowing constraint on short-term assets,
The discount rate is denoted by $\beta$. The terms $(1 - \delta)ph^{\text{own}}$ and $b(1 + R)$ in equation (14) take into account the possibility that the renter used to be a home owner. The renter’s housing stock and mortgage debt are both zero:

$$h^{\text{own}} = b' = 0.$$  

A homeowner who does not refinance his mortgage maximizes:

$$V(z)^{\text{own \& no-adjust}} = \max_{c, s'} u(c, h^{\text{own}}(1 - \delta)) + \beta E[V(z')] ,$$

subject to the budget constraint,

$$c + s' = y + (1 + r)s - M,$$

the law of motion for the mortgage principal

$$b' = b(1 + R) - M,$$

and the short term borrowing constraint

$$s' \geq 0.$$  

Since the person doesn’t refinance, the interest rate on his mortgage remains constant

$$R' = R.$$  

The mortgage payment is given by equation (9).

A homeowner who refines, maximizes:

$$V(z)^{\text{own \& adjust}} = \max_{c, s', h^{\text{own}}, b'} u(c, h^{\text{own}}) + \beta E[V(z')] ,$$

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subject to the budget constraint
\[ c + s' + ph^\text{own} - b' + F = y + (1 - \delta)ph^\text{own} + (1 + r)s - b(1 + R), \]
the borrowing constraint on short term assets,
\[ s' \geq 0, \]
and the minimal down payment required on the mortgage,
\[ b' \leq (1 - \phi)ph^\text{own}. \]
The new mortgage interest rate is given by:
\[ R' = r^m. \]

The problem for a retired person is identical to that of a non-retired person, except that social security benefits replace labor earnings.

6.1 Calibration

Our parameter values are summarized in Table 6. We adopt the same values as Wong (2018) for the parameters associated with preferences (\( \sigma, B, \beta, \) and \( \alpha \)), idiosyncratic income (\( \rho_\eta, \sigma_\eta, \chi_a, \) and \( \phi_a \)), house depreciation (\( \delta \)), the loan-to-value constraint (\( \phi \)), the process for mortgage rates (\( a^m_0, a^m_1, \) and \( a^m_2 \) in equation (10)) and the process for rental rates (\( \alpha_0, \alpha_1, \alpha_2, \) and \( \alpha_3 \) in equation (11)). See Wong (2018) for a description of the calibration procedure underlying these parameter choices. In addition, we choose the fixed cost, \( F \), to equal approximately $2,100 (2 percent of median house price) to match the average quarterly fraction of new loans of 4.5 percent.\(^\text{12}\) Recall that we think of the first period of life as 25 years of age. Age-dependent survival probabilities are given by the U.S. actuarial life-expectancy tables and assume a maximum age of 85. Assets and income in the first period are calibrated to match average assets and income for persons of ages 20 to 29 in the 2004 Survey of Consumer Finances.

\(^{12}\)See DeFusco and Mondragon (2018) for evidence that fixed costs, including closing costs and refinancing fees, are an important determinant of refinancing decisions.
6.2 The evolution of the aggregate states

To solve their decision problem, people must form expectations about their future income, mortgage rates, house prices, and rental rates. Because of its partial equilibrium nature, our model does not imply a reduced-form representation for these variables. It seems natural to assume that people use a time-series model for these variables that has good forecasting properties.

Recall that we model the mortgage rate with maturity $m$ as a function of $r_t$ and $y_t$ (see equation (10)). We estimate this function using OLS. Table 7 reports our results. Figure 4 shows that the estimated version of equation (10) does a very good job at accounting for the time-series behavior of the 30-year mortgage rate over the period 1989-2008.

We also model the rental rate as a linear function of $r_t$, $y_t$ and $p_t$ (see equation (11)). We estimate this function using the national house price and rent indices obtained from the Federal Reserve Bank Dallas.\textsuperscript{13}

Figure 5 shows that the estimated version of equation (11) does a very good job at accounting for the time-series behavior of the logarithm of the house price-to-rent ratio over the period 1989 – 2008.

We estimated a suite of quarterly time-series models for the aggregate state vector $S_t$. Recall that $S_t$ consists of $log(r_t)$, $log(y_t)$, $log(p_t)$, and $log(A_t)$. We eliminated from consideration models with explosive dynamics. We judged the remaining models balancing parsimony and the implied average (over time and across variables) root-mean-square-error (RMSE) of one-year-ahead forecasts. Parsimony is important for the computational tractability of our structural model.

We settled on the following model for quarterly changes in $S_t$:

$$\Delta S_t = B_1 \Delta S_{t-1} + B_2 \Delta \log(r_{t-1}) a_{t-1} + u_t. \quad (16)$$

Here, $B_1$ is a $4 \times 4$ matrix, $B_2$ is a $4 \times 1$ vectors, and $u_t$ is a Gaussian disturbance. The\textsuperscript{13}These data are available at https://www.dallasfed.org/institute/houseprice.
variable \( a_{t-1} \) is the logarithm of economy-wide average positive savings from refinancing at time \( t - 1 \), \( \log(A_{t-1}) \).

The Appendix reports the average RMSE for the alternative models that we considered. These models include specifications with up to two lags of \( \Delta S_t \) and \( \Delta \log(r_{t-1})a_{t-1} \). In addition, we included cross products of all the variables in different combinations as well as squares and cubes of the different variables. We also considered different moments of different measures of the gains from refinancing. For example, we replace \( a_t \) with average savings (in levels), median savings, average interest-rate gap, logarithm of average positive interest-rate gap, median of the interest-rate gap, fraction of mortgages with positive savings, and standard deviation of savings. To conserve on space we do not report these results.

None of the RMSE associated with the alternative specifications was smaller, taking sampling uncertainty into account than the RMSE associated with specification (16). At the same time, specification (16) did have a statistically significant smaller RMSE than many of the alternatives.

Table 8 reports point estimates and standard errors for \( B_1 \) and \( B_2 \) associated with specification (16). This table also reports the average RMSE computed over time and over the four variables included in \( S_t \). The coefficients in \( B_2 \) are statistically significant at the one percent level for \( r_t \) and \( p_t \) and at the 10 percent level for \( \log(S_t) \).

A natural question is whether the inclusion of \( a_t \) and \( \Delta r_{t-1}a_{t-1} \) in specification (16) helps reduce the RMSE for the three aggregate variables \( (r_t, y_t, p_t) \) that people need to forecast to solve their problem. Simply adding \( a_t \) to a linear VAR for \( r_t, y_t, p_t \) reduces the average RMSE for \( r_t, y_t, p_t \) in a modest but statistically significant way (from 0.0298 to 0.0258). Adding the interaction term \( \Delta r_{t-1}a_{t-1} \) results in an even more modest, but statistically significant reduction, in the average RMSE for \( r_t, y_t, p_t \).
6.3 Some empirical properties of the model

We now compare our model with the data along a variety of dimensions. Model statistics are computed using simulated data generated as follows. We start the simulation in 1994, assuming that agents have the distribution of assets, liabilities and mortgage rates observed in the data. We feed the realized values of \( r_t \), \( y_t \), and \( p_t \) for the period from 1995 to 2007. We simulate the idiosyncratic component of income, \( y_{jat} \), for each household in our model.

**Life-cycle dynamics.** Consider first the model’s ability to account for the behavior of U.S. households as a function of age. Figure 6 displays home ownership rates, as well as the logarithm of non-durable consumption, the ratio of debt to net wealth, and household net wealth. The model does a reasonably good job of accounting for these moments of the data. The model implies that home ownership rates rise with age and stabilize when agents reach their 40s.

To understand the mechanisms that underlie Figure 6, it is useful to do a simplified analysis of the cost of owning versus renting.\(^\text{14}\) The net benefit of owning a home is given by:

\[
\frac{p_t^R}{p_t} + E_t \frac{p_t+1 - p_t}{p_t} - r_t \left( 1 - \frac{b_t}{p_t} \right) - \frac{b_t r_t^{m}}{p_t} - \delta - \frac{F p_t}{p_t}.
\]

(17)

The first term in equation (17) is the savings from not paying rent, which we express as a fraction of the house price, \( p_t^R/p_t \). In our sample, \( p_t^R/p_t \) is on average 7.7 percent. The second term in this expression is the expected real rate of housing appreciation. In our calibration, \( E_t (p_{t+1} - p_t)/p_t \) is on average one percent per year. The third term is the opportunity cost of the down payment, \( 1 - b_t/p_t \) on a house. The fourth term is the mortgage payment on the house, where \( r_t^{m} \) denotes the average mortgage rate. We estimate that the average value of \( r_t \) and \( r_t^{m} \) in our sample is 3.5 percent and 6.5

\(^{14}\)See Díaz and Luengo-Prado (2012) for a review of the literature on the user cost of owning a home.
percent, respectively. The fifth term, \( \delta \), is the rate of depreciation of the housing stock. We assume that \( \delta \) is three percent per annum. The last term in equation (17) is the fixed cost of buying a house as a percentage of the house price. Recall that we assume \( F = \$2,100 \) which represents roughly one percent of the average price of a house in our sample (\$189,000).

A number of observations follow from equation (17). First, other things equal, the higher are the rental-price ratio and the expected real rate of housing appreciation, the more attractive it is to own rather than rent a house. Second, other things equal, the less expensive is the house (i.e. the lower is \( p_t \)) the larger is the negative impact of a fixed cost on the desirability of purchasing a home \( (r_tF/p_t) \). Third, other things equal, the lower the down payment, the more attractive it is to own a home. To see this effect, it is convenient to rewrite the sum of the opportunity cost of the down payment and the mortgage payment, \( r_t (1 - b_t/p_t) + (b_t/p_t) r_t^{m} \) as:

\[
r_t + \frac{b_t}{p_t} (r_t^{m} - r_t). \tag{18}
\]

The first term \( (r_t) \), is the opportunity cost of purchasing a home without a mortgage. The second term, is the additional interest costs associated with buying a home with a mortgage of size \( b \), which requires paying the spread \( (r_t^{m} - r_t) \). From the second term, it is clear that, other things equal, the bigger is the mortgage the less desirable it is to buy a home.

With these observations as background, consider again Figure 6. The model implies that home ownership rates rise as people get older. This result follows the fact that, on average, income rises as a person ages, peaking between 45 and 55 years of age. As income rises, people want to live in bigger homes, which reduces the impact of fixed costs on the desirability of purchasing a home \( (r_tF/p_t) \). Also, as income rises, people can afford bigger down payments on those homes, which, as we just discussed, reduces the user cost of owning a home. Taken together, both forces imply that home ownership should on average rise until people are 55. Thereafter, home ownership rates roughly
stabilize. However, many elderly homeowners downsize. They do this by selling their old homes and using the proceeds to buy a smaller home with relatively small mortgages. They use these homes as vehicles to fund their bequests.

From Figure 6 we also see that household debt declines with age. This fact reflects two forces. First, people pay down their mortgages over time reducing their debt. Second, elderly people who are downsizing have small mortgages. Finally, household net wealth rises on average with age, as people pay off their mortgages and save for bequests.

Figure 6 also shows that non-durable consumption rises until people reach ages 45 to 55 and then falls. The rise results from two forces. First, people face borrowing constraints which prevent them from borrowing against future earnings. Second, most households have an incentive to save so they can make a down payment on their mortgage. The fall in non-durable consumption after age 55 reflects the presence of a bequest motive. As people age, the weight of expected utility from leaving bequests rises relative to the weight of utility from current consumption. When we reduce $B$, the parameter that controls the strength of the bequest motive, consumption becomes smoother.

**Refinancing and the interest-rate gap.** In the data the average annual refinancing rate is 8.5 percent with a standard deviation of 4 percent. In the model the average annual refinancing rate is 7.5. So, taking sampling uncertainty into account, the model does a good job at accounting for the average refinancing rate. The model is also consistent with the fraction of new mortgages issued in each period. This fraction is 25 percent both in the model and the data.

Figure 7 plots the fraction of loans that are refinanced as a function of the interest-rate gap faced by people in the economy. We display these statistics both for the data and the model. The data-based statistics are computed as follows. We bin all the loans according to the interest-rate gap ranges indicated in the figure. For every bin, we
calculate the fraction of loans that were refinanced. Figure 7 displays these fractions and the corresponding 95 percent confidence intervals.

The model-based statistics are computed as follows. The initial distribution of age, assets, mortgage debt and mortgage rates is the same as the actual distribution in 1994. People who die in the model at time $t$ are replaced by 25-year olds. The distribution of assets, mortgage debt, and mortgage rates across these new people is the same as that observed in the data at time $t$. We assume there are 100,000 households in the model economy and draw idiosyncratic shocks for each of these people. At each point in time, we feed in the actual values of the aggregate state of the economy from 1995 to 2007 for $r_t$, $y_t$, and $p_t$. We use the model to construct the time series on $a_t$, the logarithm of economy-wide average positive savings from refinancing. People use this variable to form expectations for future aggregate states using equation (16). At every point in time, from 1995 to 2007, the model generates a distribution of interest-rate gaps and refinancing decisions. So we are able to compute the same moments that we estimated from the data. As can be seen from Figure 7, taking sampling uncertainty into account the model does well at accounting for the data.

Figure 8 is the analogue of Figure 7 computed using average savings rather than the interest-rate gap. With one exception, the model can account for the average fraction of mortgages refinanced as a function of average savings. The exception is that in the data there are some people who have potentially large savings from refinancing but do not act upon these. Our model understates the fraction of mortgages refinanced for the upper tail of the average savings distribution.\footnote{See Stanton (1995), Deng, Quigley, and Van Order (2000), and Andersen, Campbell, Nielsen, and Ramadorai (2015) for evidence that some agents do not refinance their fixed-rate mortgage when market rates fall below their locked-in mortgage rate. Stanton (1995) and Deng et al. (2000) explain this phenomenon by assuming heterogeneity in refinancing costs. Anderson et al. (2015) stress the role of heterogeneity in the degree of inattention.}
7 State dependent effects of monetary policy

We now consider whether the model is capable of accounting for the state dependent nature of the effects of monetary policy on refinancing decisions that we document in our empirical work. We use the simulated data to estimate the following regression:

\[ \rho_{t+4} = \beta_0 + \beta_1 \Delta R^M_t + \beta_2 \Delta R^M_t \times A_{j,t-1} + \beta_3 A_{j,t-1} + \eta_t. \] (19)

Regression (19) is a version of regression (4) without county fixed effects. We estimate regression (19) using the monetary policy shock as instruments. Table 9 reports the model-based and data-based estimates of \( \beta_1 \) and \( \beta_2 \). The data estimates are reproduced from column 2 of Panel A and B, Table 1. Consider first the results when the benefits of refinancing are measured with the interest-rate gap. From Table 9 we see that the model does quite well at accounting for the regression results. Taking sampling uncertainty into account, the model- and data-based estimates are not significantly different from each.

Consider next the results when the benefits of refinancing are measured with average savings. The model succeeds in accounting for the signs of both \( \beta_1 \) and \( \beta_2 \). However, the model understates the magnitude of our data-based estimate of \( \beta_2 \).

We now use simulated data to estimate the effect of an exogenous change in the interest rate on the annual change in the logarithm of consumption for household \( j \) (\( c_{jt} \)):

\[ c_{jt+1} - c_{jt} = \beta_0^c + \beta_1^c \Delta R^M_t + \beta_2^c \Delta R^M_t \times A_{j,t-1} + \beta_3^c A_{j,t-1} + \eta^c_t. \] (20)

The coefficients in this regression are estimated using the monetary shocks as instruments. Column 1 of Table 11 shows the effect of a 25 basis points fall in interest rates starting from steady state. The total effect on consumption of an exogenous change in mortgage rates is 1.03 percent. The direct effect (\( \beta_1^c \Delta R^M_t \)) is 0.6 percent. The state dependent effect (\( \beta_2^c \Delta R^M_t \times \text{average interest-rate gap} \)) is 0.42 percent.

To understand the mechanisms that underlie these effects, we estimate regression
(20) for two separate groups: households that have positive liquid assets \((s_{jt} > 0)\) and households that do not have positive liquid assets \((s_{jt} \leq 0)\). We call the first group of households unconstrained and the second group constrained. A fraction 40 percent of total households is, on average, constrained in our model. This fraction is consistent with the results in Kaplan, Violante and Weidner (2014). More than 80 percent of the constrained households are home owners. These households correspond to what Kaplan, Violante and Weidner (2014) call wealthy hand-to-mouth consumers. The total effect on consumption of an exogenous change in mortgage rates is 4 and 0.63 percent for constrained and unconstrained households, respectively. So, the consumption response is predominantly driven by the constrained households. We obtain similar results when we define constrained (unconstrained) households as having less (more) liquid assets than two weeks of income.

Roughly 80 percent of the households who refinance engage in cash-out refinancing, that is, the size of their new mortgage is larger than the balance of the old mortgage. This value is in line with the evidence presented by Chen, Michaux, and Roussanov (2013). Using a conservative estimate based on conforming mortgages, these authors argue that over the period 1993-2010 on average about 70 percent of refinanced loans involve cash-out.

In response to a one-percent decline in mortgage rates, households who engage in cash-out refinancing in our model increase their loan balances by 27.7 percent. This effect is broadly consistent with the empirical estimates of Bhutta and Keys (2016).\(^{16}\)

In our model, we abstract from the effects of refinancing decisions on bank owners. If those owners are constrained and the profits of the bank rise or fall one to one by the amount that consumers save by refinancing, the refinancing channel has no aggregate effect on consumption. However, it is natural to assume that bank owners behave like unconstrained households. Under this assumption, the negative effect of refinancing on

\(^{16}\)Using Equifax data, these authors estimate that, in response to a one-percent decline in mortgage rates, households who engage in cash-out refinancing increase their loan balances by 22.7 percent.
the consumption of bank owners is much smaller in absolute value than the positive
effect on the consumption of constrained households.\textsuperscript{17} As a result, the overall effect of
refinancing on aggregate consumption is positive.

7.1 Model experiments

In this subsection, we use our model to illustrate the state dependent nature of the
effects of monetary policy. We begin by comparing the power of a given interest rate cut
in two scenarios. In both scenarios, the economy starts in the steady state, by which
we mean that the aggregate state variables have been constant and equal to their
unconditional means. However, agents have been experiencing ongoing idiosyncratic
shocks to their income.

In the first scenario, we consider the effect of an interest rate cut when the economy
starts in the steady state and remains in the steady state for five periods. We then
feed in an interest-rate shock such that the interest rate falls by 100 basis points in
time period six. This path is displayed in Figure 9. At each point in time, agents
form expectations according to equation (16). Table 10 reports the impact of the
interest rate cut at time six on refinancing and consumption. Notice that 24.5
percent of people refinance in the impact period of the shock and there is a 2.4 percent increase
in aggregate consumption. There are two reasons why the effects are so large. First,
everybody has a positive rate gap after the interest rate cut. This property reflects the
fact that all mortgage rates prior to time six had an interest rate equal to the steady-
state interest rate which is higher than the new interest rate. Second, people expect
the interest rate to revert to the mean so period six is a good time to refinance.

We now turn to the second scenario in which the central bank steadily raises interest
rates starting in period one until they peak in time period five. The central bank then
cuts interest rates by 100 basis points in period six. This path is displayed in Figure 9.

\textsuperscript{17}The negative effect on U.S. consumption of the decline in profits due to refinancing is mitigated
by the fact that some of stock shares of U.S. banks are owned by foreigners.
Table 10 indicates that only 3.2 percent of agents refinance in the impact period of the shock and there is only a 0.3 percent rise in consumption. The reason for these small effects relative to the first scenario is that only 26 percent of people face a positive interest-rate gap in period 6. These are the people who entered new mortgages despite rising interest rates due to life-cycle considerations or idiosyncratic shocks to income prior to time six. Recall that in steady state, there are 25 percent new mortgages every year.

These results imply that past actions of the Fed can have effects on the future impact of monetary policy on refinancing. The reason is that past Fed actions change the distribution of future potential savings across borrowers.

### 7.2 Effects of a fall in the cost of refinancing

We also use our model to study the implications of a decline in the cost of refinancing. Various authors argue that such a decline is occurring because of the emergence of Fintech lenders. The market share of Fintech lenders in mortgage markets has increased from 4 to 15 percent between 2007 and 2015 (Buchak et al. (2017)). This growth has been particularly pronounced for refinances.

Using loan-level data on U.S. mortgage applications and originations, Fuster et al. (2018) show that Fintech lenders process mortgage applications about 20 percent faster than other lenders, after controlling for detailed loan, borrower, and geographic observables. They also find that in areas with more Fintech lending, borrowers refinance more. This evidence is consistent with the idea that Fintech is reducing the fixed costs of refinancing. This reduction is consistent with other evidence that competition lowers direct costs from refinancing such as origination fees. Ambrose and Conklin (2013) show that the average number of brokers per MSA increased steadily to a peak of 65 in mid-2004, while average origination fees declined from over 5 percent at the beginning of 1998 to less than 2.5 percent at the end of 2004.

While it is hard to forecast how much the fixed costs of refinancing will decline due
to the evolution of Fintech, it seems clear that they will decline substantially. A natural
question is: what is the effect of a decline in the cost of refinancing on the magnitude
and state dependent nature of the refinancing channel of monetary policy.

Table 11 compares the effect of a 25 basis points interest rate cut on refinancing
activity and consumption for two values of the fixed cost: $2,100 (our benchmark
calibration value) and $1,000. We simulate both versions of the model following the
procedure described in Section 5.3. Using simulated data, we estimate $\beta_1$ and $\beta_2$ in
regression (19) using the monetary shocks as instruments. We use the same data to
estimate the following regression where the dependent variable is the annual change in
the logarithm of consumption ($c_t$):

$$c_t - c_{t-1} = \beta_0^c + \beta_1^c \Delta R_t^M + \beta_2^c \Delta R_t^M \times A_{j,t-1} + \beta_3^c A_{j,t-1} + \eta_t^c.$$

Table 11 shows the effect of a 25 basis points fall in interest rates starting from steady
state for two values of the refinancing cost: $2,100 (the value used in our calibration)
and $1,000. We see that reducing fixed costs from $2,100 to $1,000 leads to a large
fall in the state dependent nature of the effects of monetary policy. For refinancing,
this effect ($\beta_1 \Delta R_t \times$ average interest-rate gap) falls from 1.81 to 1.12 percent. For
consumption ($\beta_2 \Delta R_t \times$ average interest-rate gap), this effect falls from 0.42 to 0.36
percent.

At the same time, the fall in fixed costs increases the direct effect of the interest rate
cut. For refinancing, this effect ($\beta_1 \Delta R_t$) rises from 0.95 to 2.9 percent. For consumption,
this effect ($\beta_1 \Delta R_t^M$) rises from 0.60 to 0.88 percent.

In sum, our model implies that, as transactions costs of refinancing fall, the effects
of monetary policy become larger but less state dependent. The intuition for the state-
dependency result is straightforward. When transactions costs are lower, consumers
refinance more often. As a result, interest rates on existing mortgages are more closely
distributed around current mortgage rates.

The intuition for why monetary policy is more powerful when transactions costs are
low is also straightforward. More people refinance in response to an interest rate cut. Many people are against their borrowing constraint. These people engage in cash-out refinancing to increase their consumption.

8 Conclusion

This paper provides evidence that the efficacy of monetary policy is state dependent, varying in a systematic way with the pool of savings from refinancing. We construct a quantitative life-cycle model of refinancing decisions that is consistent with the facts that we document. The model allows us to study the impact on the effects of monetary policy of a decline in refinancing costs. Based on this experiment, we argue that the expansion of Fintech will make monetary policy less state dependent but more powerful.

We focus on the effects of monetary policy in systems where mortgages have primarily fixed interest rates. Examples of countries with such systems include the U.S., Canada, Switzerland, and the Netherlands. However, there are many countries where mortgages have primarily variable interest rates. Examples include Australia, Ireland, Korea, Spain, and the U.K.

The state dependent effects of monetary policy that arise through the refinancing channel in a fixed-mortgage-rate system do not arise in a variable-mortgage-rate system. The reason is that there are no unexploited refinancing opportunities in a variable-mortgage-rate system. So, even if Fintech succeeds in driving refinancing costs to very low levels, the monetary transmission mechanism of the U.S. will not converge to that of countries with variable interest rate mortgages.

\[18\] There are significant differences in the maturity of fixed rate mortgages in these countries. See Lee (2010) for a discussion.
9 References


Auclert, Adrien “Monetary Policy and the Redistribution Channel,” manuscript, Stanford University, 2018.


Gertler, Mark, and Peter Karadi. “Monetary Policy Surprises, Credit Costs, and


Tables and Figures

Table 1: State dependency of monetary policy and refinancing

<table>
<thead>
<tr>
<th>Refinancing over the year</th>
<th>OLS (I)</th>
<th>OLS (II)</th>
<th>IV (III)</th>
<th>IV (IV)</th>
</tr>
</thead>
<tbody>
<tr>
<td>∆R(t)</td>
<td>0.075***</td>
<td>0.062***</td>
<td>0.070*</td>
<td>0.083***</td>
</tr>
<tr>
<td></td>
<td>(0.004)</td>
<td>(0.021)</td>
<td>(0.029)</td>
<td>(0.026)</td>
</tr>
<tr>
<td>∆R(t) x Average rate gap</td>
<td>0.039**</td>
<td>0.389***</td>
<td>0.479***</td>
<td>0.497***</td>
</tr>
<tr>
<td></td>
<td>(0.014)</td>
<td>(0.075)</td>
<td>(0.109)</td>
<td>(0.106)</td>
</tr>
</tbody>
</table>

Panel B

| ∆R(t)                     | 0.074***| 0.103***| 0.130*** | 0.142***|
|                           | (0.003) | (0.013) | (0.013)  | (0.012) |
| ∆R(t) x Average savings  | 0.013***| 0.048***| 0.059*** | 0.060***|
|                           | (0.002) | (0.009) | (0.008)  | (0.009) |

| County Fixed Effects     | Yes     | Yes      | Yes      | Yes      |
| SPF Controls             | No      | No       | Yes      | Yes      |
| Additional county controls| No      | No       | No       | Yes      |

Notes: Estimates from regression (3). IV is based on futures. Standard errors are in parentheses. *, **, and *** give the significance at the 10, 5, and 1 percent levels.
Table 2: First-stage estimates

<table>
<thead>
<tr>
<th>First stage y-variable:</th>
<th>ΔR(t) (I)</th>
<th>ΔR(t) x A(t-1) (II)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Panel A:</td>
<td></td>
<td></td>
</tr>
<tr>
<td>E(t)</td>
<td>1.466***</td>
<td>0.385***</td>
</tr>
<tr>
<td></td>
<td>(0.103)</td>
<td>(0.033)</td>
</tr>
<tr>
<td>E(t) x Average rate gap</td>
<td>0.048</td>
<td>0.487***</td>
</tr>
<tr>
<td></td>
<td>(0.256)</td>
<td>(0.095)</td>
</tr>
<tr>
<td>R-squared</td>
<td>0.734</td>
<td>0.557</td>
</tr>
<tr>
<td>Panel B:</td>
<td></td>
<td></td>
</tr>
<tr>
<td>E(t)</td>
<td>1.583***</td>
<td>1.738***</td>
</tr>
<tr>
<td></td>
<td>(0.113)</td>
<td>(0.130)</td>
</tr>
<tr>
<td>E(t) x Average savings</td>
<td>-0.059</td>
<td>0.791***</td>
</tr>
<tr>
<td></td>
<td>(0.049)</td>
<td>(0.159)</td>
</tr>
<tr>
<td>R-squared</td>
<td>0.293</td>
<td>0.156</td>
</tr>
</tbody>
</table>

Notes: Regression (3), first-stage estimates based on futures shock. Standard errors are in parentheses. *, **, and *** give the significance at the 10, 5, and 1 percent levels.
Table 3: State dependency of monetary policy and cash-out refinancing

<table>
<thead>
<tr>
<th>Cash-out Refinancing</th>
<th>OLS</th>
<th>IV</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(I)</td>
<td>(II)</td>
</tr>
<tr>
<td>Panel A</td>
<td></td>
<td></td>
</tr>
<tr>
<td>ΔR(t)</td>
<td>0.092***</td>
<td>0.131***</td>
</tr>
<tr>
<td></td>
<td>(0.003)</td>
<td>(0.019)</td>
</tr>
<tr>
<td>ΔR(t) x Average rate gap</td>
<td>0.063**</td>
<td>0.355***</td>
</tr>
<tr>
<td></td>
<td>(0.003)</td>
<td>(0.067)</td>
</tr>
<tr>
<td>Panel B</td>
<td></td>
<td></td>
</tr>
<tr>
<td>ΔR(t)</td>
<td>0.089***</td>
<td>0.174***</td>
</tr>
<tr>
<td></td>
<td>(0.003)</td>
<td>(0.022)</td>
</tr>
<tr>
<td>ΔR(t) x Average savings</td>
<td>0.003***</td>
<td>0.048***</td>
</tr>
<tr>
<td></td>
<td>(0.000)</td>
<td>(0.007)</td>
</tr>
</tbody>
</table>

County Fixed Effects: Yes, Yes, Yes, Yes
SPF Controls: No, No, Yes, Yes
Additional county controls: No, No, No, Yes

Notes: Estimates from regression (3). IV is based on futures. Standard errors are in parentheses. *, **, and *** give the significance at the 10, 5, and 1 percent levels.
Table 4: Changes in balance, given cash-out refinancing

<table>
<thead>
<tr>
<th></th>
<th>OLS (I)</th>
<th>OLS (II)</th>
<th>OLS (III)</th>
<th>OLS (IV)</th>
<th>IV (I)</th>
<th>IV (II)</th>
<th>IV (III)</th>
<th>IV (IV)</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Panel A</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$\Delta R(t)$</td>
<td>0.024</td>
<td>0.093***</td>
<td>0.004*</td>
<td>0.074**</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.011)</td>
<td>(0.044)</td>
<td>(0.053)</td>
<td>(0.059)</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$\Delta R(t) \times \text{Average rate gap}$</td>
<td>0.184***</td>
<td>0.288***</td>
<td>0.697***</td>
<td>0.511*</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.022)</td>
<td>(0.094)</td>
<td>(0.140)</td>
<td>(0.155)</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Panel B</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$\Delta R(t)$</td>
<td>0.032**</td>
<td>0.126**</td>
<td>0.047*</td>
<td>0.134**</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.010)</td>
<td>(0.041)</td>
<td>(0.042)</td>
<td>(0.050)</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$\Delta R(t) \times \text{Average savings}$</td>
<td>0.012***</td>
<td>0.015*</td>
<td>0.052***</td>
<td>0.030*</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.001)</td>
<td>(0.007)</td>
<td>(0.011)</td>
<td>(0.014)</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>County Fixed Effects</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>SPF Controls</td>
<td>No</td>
<td>No</td>
<td>Yes</td>
<td>Yes</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Additional county controls</td>
<td>No</td>
<td>No</td>
<td>No</td>
<td>Yes</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Notes: Estimates from regression (3). IV is based on futures. Standard errors are in parentheses. *, **, and *** give the significance at the 10, 5, and 1 percent levels.
Table 5: State dependency of monetary policy and housing permits

<table>
<thead>
<tr>
<th>Housing permits</th>
<th>OLS (I)</th>
<th>IV (II)</th>
<th>IV (III)</th>
<th>IV (IV)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Panel A:</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>ΔR(t)</td>
<td>0.175***</td>
<td>0.396***</td>
<td>0.356***</td>
<td>0.066***</td>
</tr>
<tr>
<td></td>
<td>(0.019)</td>
<td>(0.034)</td>
<td>(0.036)</td>
<td>(0.026)</td>
</tr>
<tr>
<td>ΔR(t) x Average rate gap</td>
<td>0.083**</td>
<td>0.373***</td>
<td>0.111*</td>
<td>0.497***</td>
</tr>
<tr>
<td></td>
<td>(0.021)</td>
<td>(0.103)</td>
<td>(0.076)</td>
<td>(0.106)</td>
</tr>
<tr>
<td>Panel B:</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>ΔR(t)</td>
<td>0.209***</td>
<td>0.264***</td>
<td>0.290***</td>
<td>0.220***</td>
</tr>
<tr>
<td></td>
<td>(0.019)</td>
<td>(0.044)</td>
<td>(0.049)</td>
<td>(0.070)</td>
</tr>
<tr>
<td>ΔR(t) x Average savings</td>
<td>0.012**</td>
<td>0.140***</td>
<td>0.063**</td>
<td>0.080**</td>
</tr>
<tr>
<td></td>
<td>(0.006)</td>
<td>(0.027)</td>
<td>(0.026)</td>
<td>(0.036)</td>
</tr>
</tbody>
</table>

County Fixed Effects: Yes Yes Yes Yes
SPF Controls: No No Yes Yes
Additional county controls: No No No Yes

Notes: Estimates from regression (6). IV is based on futures. Standard errors are in parentheses. *, **, and *** give the significance at the 10, 5, and 1 percent levels.

Table 6: Model parameter values

<table>
<thead>
<tr>
<th>Parameters</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>σ Intertemporal elasticity of substitution</td>
<td>2</td>
</tr>
<tr>
<td>δ Housing depreciation rate</td>
<td>3%</td>
</tr>
<tr>
<td>φ Collateral constraint</td>
<td>0.2</td>
</tr>
<tr>
<td>ρη Persistency of idiosyncratic income process</td>
<td>0.91</td>
</tr>
<tr>
<td>ση Variance of idiosyncratic income shock</td>
<td>0.21</td>
</tr>
<tr>
<td>α Utility parameter</td>
<td>0.88</td>
</tr>
<tr>
<td>β Discount rate</td>
<td>0.962</td>
</tr>
<tr>
<td>B Bequest parameter</td>
<td>2</td>
</tr>
</tbody>
</table>

Notes: Table depicts parameter values. See text for more detail.
### Table 7: Estimated Aggregate Process for Mortgage and Rental Rates

<table>
<thead>
<tr>
<th>Variables</th>
<th>30-year rate&lt;sub&gt;t&lt;/sub&gt;</th>
<th>log rental rate&lt;sub&gt;t&lt;/sub&gt;</th>
</tr>
</thead>
<tbody>
<tr>
<td>log y&lt;sub&gt;t-1&lt;/sub&gt;</td>
<td>-3.475***</td>
<td>0.843***</td>
</tr>
<tr>
<td></td>
<td>(0.168)</td>
<td>(0.119)</td>
</tr>
<tr>
<td>log r&lt;sub&gt;t-1&lt;/sub&gt;</td>
<td>0.334***</td>
<td>-0.002***</td>
</tr>
<tr>
<td></td>
<td>(0.058)</td>
<td>(0.001)</td>
</tr>
<tr>
<td>log p&lt;sub&gt;t-1&lt;/sub&gt;</td>
<td></td>
<td>-0.022</td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.014)</td>
</tr>
<tr>
<td>constant</td>
<td>-0.030</td>
<td>3.187***</td>
</tr>
<tr>
<td></td>
<td>(15.82)</td>
<td>(0.488)</td>
</tr>
</tbody>
</table>

*Notes:* Standard errors are in parentheses. *, **, and *** give the significance at the 10, 5, and 1 percent levels. See text for more detail.

### Table 8: Estimated Aggregate Process

<table>
<thead>
<tr>
<th>Variables</th>
<th>log y&lt;sub&gt;t&lt;/sub&gt;</th>
<th>log r&lt;sub&gt;t&lt;/sub&gt;</th>
<th>log p&lt;sub&gt;t&lt;/sub&gt;</th>
<th>log savings&lt;sub&gt;t&lt;/sub&gt;</th>
</tr>
</thead>
<tbody>
<tr>
<td>log y&lt;sub&gt;t-1&lt;/sub&gt;</td>
<td>-0.297**</td>
<td>13.520***</td>
<td>-0.019</td>
<td>-3.486</td>
</tr>
<tr>
<td></td>
<td>(0.108)</td>
<td>(2.845)</td>
<td>(0.047)</td>
<td>(0.147)</td>
</tr>
<tr>
<td>log r&lt;sub&gt;t-1&lt;/sub&gt;</td>
<td>0.000</td>
<td>0.612***</td>
<td>0.010***</td>
<td>0.223</td>
</tr>
<tr>
<td></td>
<td>(0.108)</td>
<td>(0.051)</td>
<td>(0.002)</td>
<td>(0.147)</td>
</tr>
<tr>
<td>log p&lt;sub&gt;t-1&lt;/sub&gt;</td>
<td>0.131*</td>
<td>2.461</td>
<td>0.810***</td>
<td>0.928</td>
</tr>
<tr>
<td></td>
<td>(0.075)</td>
<td>(2.114)</td>
<td>(0.070)</td>
<td>(1.710)</td>
</tr>
<tr>
<td>log savings&lt;sub&gt;t-1&lt;/sub&gt;</td>
<td>-0.009</td>
<td>0.157</td>
<td>-0.030***</td>
<td>-0.529*</td>
</tr>
<tr>
<td></td>
<td>(0.006)</td>
<td>(0.142)</td>
<td>(0.008)</td>
<td>(0.296)</td>
</tr>
<tr>
<td>log savings&lt;sub&gt;t-1&lt;/sub&gt; x log r&lt;sub&gt;t-1&lt;/sub&gt;</td>
<td>-0.002</td>
<td>0.133***</td>
<td>-0.009***</td>
<td>-0.189**</td>
</tr>
<tr>
<td></td>
<td>(0.002)</td>
<td>(0.035)</td>
<td>(0.002)</td>
<td>(0.086)</td>
</tr>
</tbody>
</table>

*Notes:* Regression equation (15). Standard errors are in parentheses. *, **, and *** give the significance at the 10, 5, and 1 percent levels. See text for more detail.
Table 9: State dependency of monetary policy and refinancing: Model vs Data

<table>
<thead>
<tr>
<th></th>
<th>Data</th>
<th>Model</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Panel A:</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>( \Delta R(t) )</td>
<td>0.062***</td>
<td>0.038</td>
</tr>
<tr>
<td></td>
<td>(0.021)</td>
<td></td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Average rate gap} )</td>
<td>0.389***</td>
<td>0.299</td>
</tr>
<tr>
<td></td>
<td>(0.075)</td>
<td></td>
</tr>
<tr>
<td><strong>Panel B:</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>( \Delta R(t) )</td>
<td>0.103***</td>
<td>0.139</td>
</tr>
<tr>
<td></td>
<td>(0.013)</td>
<td></td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Average savings} )</td>
<td>0.048***</td>
<td>0.017</td>
</tr>
<tr>
<td></td>
<td>(0.009)</td>
<td></td>
</tr>
</tbody>
</table>

*Notes:* Regression (3), first stage estimates based on futures shock. Standard errors are in parentheses. *, **, and *** give the significance at the 10, 5, and 1 percent levels.

Table 10: Alternative paths of monetary policy: Model

<table>
<thead>
<tr>
<th>Rate path prior to a 1 ppt cut</th>
<th>Effect on refinancing</th>
<th>Average rate gap before cut</th>
<th>Change in consumption</th>
</tr>
</thead>
<tbody>
<tr>
<td>(i) Flat at about 3.5%</td>
<td>24.5%</td>
<td>0.0%</td>
<td>2.4%</td>
</tr>
<tr>
<td>(ii) Rising from 3.5% to 8% over 5 periods</td>
<td>3.2%</td>
<td>-1.1%</td>
<td>0.3%</td>
</tr>
</tbody>
</table>

*Notes:* Alternative paths of monetary policy. See text for more detail.
Table 11: State dependency of monetary policy and alternative transaction costs

<table>
<thead>
<tr>
<th>Fixed cost</th>
<th>$2.1K</th>
<th>$1K</th>
</tr>
</thead>
</table>

**Effect on refinancing:**
- Overall effect of a 25 bp fall in rates: 2.76% 4.02%
- \( \beta_1 \Delta R_t \): 0.95% 2.90%
- \( \beta_2 \Delta R_t \) times \( \text{mean}(\varphi_t) \): 1.81% 1.12%

**Effect on consumption:**
- Overall effect of a 25 bp fall in rates: 1.03% 1.30%
- \( \beta_1 \Delta R_t \): 0.60% 0.88%
- \( \beta_2 \Delta R_t \) times \( \text{mean}(\varphi_t) \): 0.42% 0.36%

*Notes:* Regression (3), first-stage estimates based on futures shock.

---

**Figure 1: Real 30-year mortgage rate**

*Notes:* The figure depicts the average real mortgage rate from Core Logic. Dashed lines depict 1 standard deviation.
Figure 2: Distribution of interest rate gaps in 1997q4 and 2000q4

Interest Rate Gap (Existing Rate - New Rate)

Notes: The figure depicts the distribution of interest-rate gaps across borrowers. The interest-rate gap is defined as the difference between the existing mortgage rate and the current market rate. See text for more details.

Figure 3: Distribution of potential savings in 1997q4 and 2000q4

Potential savings ($000)

Notes: The figure depicts the distribution of potential savings across borrowers under one particular refinancing strategy, where the household refinances into a 30-year mortgage and repays the loan over the same number of periods. See text for more details.
Figure 4: Time series of fitted and actual mortgage rates

Notes: The figure depicts the fitted and actual mortgage rate data. See text for more details.

Figure 5: Time series of fitted and actual house price to rent ratios

Notes: The figure depicts the fitted and actual house price to rental ratios. See text for more details.
Figure 6: Life-cycle moments

Notes: The figure depicts the fitted and actual life-cycle moments. See text for more details.
Figure 7: Refinancing, given the interest-rate gap

Notes: The figure depicts propensity to refinance for each given interest-rate gap in the data and the model. See text for more details.

Figure 8: Refinancing, given the average potential savings

Notes: The figure depicts propensity to refinance for each given range of average potential savings in the data and the model. See text for more details.
Figure 9: Alternative interest rate paths

Rate hike vs flat rates prior to rate cut

Notes: The figure depicts two alternative interest rate paths, starting at steady state. The squares represent expectations at time 7. See text for more details.
A County Data Description

In this section, we describe our data sources and the construction of the county-level demographic variables used in our analysis.

For each county, we obtain the median age and the share of the population with a college degree from the Census, the unemployment rate and share of employment in manufacturing from the Bureau of Labor Statistics, and per-capita income from the Bureau of Economic Analysis.

We measure lender competitiveness using the Hirschman-Herfindahl Index computed across mortgage lenders within the county. This measure is also used in Scharfstein and Sunderam (2016). The index is constructed using data from HMDA (the Home Mortgage Disclosure Act).

We consider two measures of home values. Our first measure is the average home price accumulation over the life of the mortgage. We compute real house prices using the consumer price index. We then compute the log difference between the current home price and the value of the house at origination.

The median sale price of homes comes from two sources. We have monthly house-price data from the Global Financial Data Real Estate database from 1975 to present. The home prices are based on information from Freddie Mac and Fannie Mae. For house prices prior to 1975, we use regional data from the U.S. Bureau of the Census and U.S. Department of Housing and Urban Development. The two different data series have very similar trends in the overlapping post-1975 period.

We use individual data on home equity to compute the average level of home equity. For each loan, we compute home equity (price minus the balance). We then winsorize the top and bottom 1 percent of the home equity values to abstract from outliers. Finally, we take an average across all loans within the county, weighted by loan balance.

We include our county-level variables as controls in regression specification (IV) of Tables 1, 3, 4 and 5 of the main text, and the interactions of the variables with the changes in mortgage rates in Appendix B.2.

B Robustness

B.1 Instrumenting with the 2-year Treasury Yield

This section provides additional estimates of the state dependent effects of monetary policy. In the main text, we instrumented for the response to a change in mortgage rate

---

1We thank David Berger for sharing these data with us.
using high-frequency changes in the Federal Funds futures rate. Here, we show that
the results are robust to instrumenting using the high-frequency changes in the 2-year
Treasury yield within a 60-minute window around the Fed’s announcement. Changes in
the 2-year Treasury yield have been used as measures of monetary shocks by Gertler and
Karadi (2013) and Gilchrist et al. (2015). Tables 1 and 2 below report our estimates of
the coefficients in equation (4) and (6), respectively, using the high-frequency changes
in the 2-year Treasury yield as an instrument for changes in the mortgage rate. The
estimated state dependent effects of monetary policy obtained using this alternative
instrument are very similar to those reported in Tables 1 and 5 of the main text.

Table 1: State dependency of monetary policy and refinancing

<table>
<thead>
<tr>
<th>Refinancing over the year</th>
<th>OLS</th>
<th>IV</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(I)</td>
<td>(II)</td>
</tr>
<tr>
<td>Panel A</td>
<td></td>
<td></td>
</tr>
<tr>
<td>∆R(t)</td>
<td>0.075***</td>
<td>0.195***</td>
</tr>
<tr>
<td></td>
<td>(0.004)</td>
<td>(0.032)</td>
</tr>
<tr>
<td>∆R(t) x Average rate gap</td>
<td>0.039**</td>
<td>0.244**</td>
</tr>
<tr>
<td></td>
<td>(0.014)</td>
<td>(0.101)</td>
</tr>
<tr>
<td>Panel B</td>
<td></td>
<td></td>
</tr>
<tr>
<td>∆R(t)</td>
<td>0.074***</td>
<td>0.186***</td>
</tr>
<tr>
<td></td>
<td>(0.003)</td>
<td>(0.020)</td>
</tr>
<tr>
<td>∆R(t) x Average savings</td>
<td>0.013***</td>
<td>0.067***</td>
</tr>
<tr>
<td></td>
<td>(0.002)</td>
<td>(0.013)</td>
</tr>
</tbody>
</table>

County Fixed Effects  Yes Yes Yes Yes
SPF Controls         No No Yes Yes
Additional county controls No No No Yes

Notes: Estimates from regression (3). IV based on changes in the 2-year Treasury yield. Standard
e errors are in parentheses. *, **, and *** give significance at 10, 5, and 1 percent levels.
Table 2: State dependency of monetary policy and housing permits

<table>
<thead>
<tr>
<th>Housing permits</th>
<th>OLS (I)</th>
<th>(II)</th>
<th>(III)</th>
<th>(IV)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Panel A:</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>∆R(t)</td>
<td>0.175***</td>
<td>0.265***</td>
<td>0.236***</td>
<td>0.392***</td>
</tr>
<tr>
<td></td>
<td>(0.019)</td>
<td>(0.034)</td>
<td>(0.029)</td>
<td>(0.077)</td>
</tr>
<tr>
<td>∆R(t) x Average rate gap</td>
<td>0.083**</td>
<td>1.514**</td>
<td>0.187**</td>
<td>0.642**</td>
</tr>
<tr>
<td></td>
<td>(0.021)</td>
<td>(0.099)</td>
<td>(0.080)</td>
<td>(0.277)</td>
</tr>
<tr>
<td>Panel B:</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>∆R(t)</td>
<td>0.209***</td>
<td>0.202***</td>
<td>0.183***</td>
<td>0.171***</td>
</tr>
<tr>
<td></td>
<td>(0.019)</td>
<td>(0.032)</td>
<td>(0.031)</td>
<td>(0.049)</td>
</tr>
<tr>
<td>∆R(t) x Average savings</td>
<td>0.012**</td>
<td>0.225***</td>
<td>0.070***</td>
<td>0.045*</td>
</tr>
<tr>
<td></td>
<td>(0.006)</td>
<td>(0.021)</td>
<td>(0.017)</td>
<td>(0.026)</td>
</tr>
<tr>
<td>County Fixed Effects</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
</tr>
<tr>
<td>SPF Controls</td>
<td>No</td>
<td>No</td>
<td>Yes</td>
<td>Yes</td>
</tr>
<tr>
<td>Additional county controls</td>
<td>No</td>
<td>No</td>
<td>No</td>
<td>Yes</td>
</tr>
</tbody>
</table>

Notes: Estimates from regression (6). IV is based on changes in the 2-year Treasury yield. Standard errors are in parentheses. *, **, and *** give significance at 10, 5, and 1 percent levels.

B.2 Additional county-level controls

In this section, we show that our estimates of the state dependent nature of the effects of monetary policy are robust to the inclusion of interactions between county-level controls and the change in mortgage rates. These estimates, reported in Table 3 below, are similar to those in column 4 of Table 1, in the main text. The fact that including interaction terms does not change the estimate elasticities implies that the state dependency that we highlight is distinct from other potential mechanisms explored in the literature. These mechanisms include, for instance, differential responses in refinancing to a decline in mortgage rates due to differences in competitiveness of the local lending market. It is also distinct from state dependency related to variation in the value of home equity across counties.
Table 3: State dependency of monetary policy and refinancing

<table>
<thead>
<tr>
<th></th>
<th>(I)</th>
<th>(II)</th>
<th>(III)</th>
<th>(IV)</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>coefficient</td>
<td>std error</td>
<td>coefficient</td>
<td>std error</td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Average rate gap}(t-1) )</td>
<td>0.497***</td>
<td>(0.106)</td>
<td>0.562***</td>
<td>(0.181)</td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Average savings}(t-1) )</td>
<td>0.060***</td>
<td>(0.009)</td>
<td>1.2544*</td>
<td>(0.603)</td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Home equity}(t-1) )</td>
<td>0.605</td>
<td>(0.584)</td>
<td>-0.310</td>
<td>(0.268)</td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{House price change}(t-1) )</td>
<td>-0.030</td>
<td>(0.016)</td>
<td>-0.011</td>
<td>(0.010)</td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Unemployment rate}(t-1) )</td>
<td>-0.001</td>
<td>(0.003)</td>
<td>0.001</td>
<td>(0.002)</td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Median age}(t-1) )</td>
<td>0.008*</td>
<td>(0.003)</td>
<td>0.003*</td>
<td>(0.002)</td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Manufacturing share}(t-1) )</td>
<td>0.155</td>
<td>(0.154)</td>
<td>0.170</td>
<td>(0.131)</td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Share college}(t-1) )</td>
<td>-0.004</td>
<td>(0.176)</td>
<td>-0.036</td>
<td>(0.191)</td>
</tr>
<tr>
<td>( \Delta R(t) \times \text{Herfindahl index}(t-1) )</td>
<td>0.023</td>
<td>(0.026)</td>
<td>0.024</td>
<td>(0.021)</td>
</tr>
</tbody>
</table>

County Fixed Effects: Yes, Yes, Yes, Yes
County interaction controls: No, Yes, No, Yes

Notes: Estimates from regression (3). For comparison, we report the coefficients from Table 1 (column 4) in the main text in this table’s columns I and III. Columns II and IV are the estimated effects, including the county demographics interacted with the change in mortgage rates. Standard errors are in parentheses. *, **, and *** give significance at 10, 5, and 1 percent levels.

B.3 Alternative moments

This section reports estimates of the state dependent effects of monetary policy using two alternative moments of the distribution of potential savings: the fraction of loans with positive savings, and the spread of the existing mortgage rate relative to the threshold interest rate proposed by Agarwal, Laibson and Driscoll (2013). We find that the effects of a change in mortgage rates is state dependent, varying with the values of these alternative moments of the distribution.
C Model aggregate process

In our model, we assume that the aggregate state variables (log of aggregate income, log of house prices, and log of the real interest rate) evolve according to the vector autoregression process described in Equation (16), Section 6.2:

\[ \Delta S_t = B_1 \Delta S_{t-1} + B_2 \Delta r_{t-1} a_{t-1} + u_t \]

where \( B_1 \) is a \( 4 \times 4 \) matrix, \( B_2 \) is a \( 4 \times 1 \) vector, and \( u_t \) is a Gaussian disturbance.

We now provide evidence that the process does well relative to other specifications, in terms of the root-mean-squared error (RMSE). Table 5 below shows that none of the RMSE associated with the alternative specifications is smaller, taking sampling uncertainty into account, than the RMSE associated with specification (16). At the same time, specification (16) does have a statistically significant smaller RMSE than many alternative specifications.
The standard errors are computed as follows. We draw a set of coefficients from the joint distribution of estimated coefficients. We use the set of coefficients to construct one-step-ahead forecasts and compute the RMSE. We repeat these two steps for 100,000 draws of coefficients, and then compute the standard error of the RMSE.

Table 5: Root-mean-squared forecasting errors of regressions

<table>
<thead>
<tr>
<th>Regression</th>
<th>RMSE</th>
<th>SE</th>
</tr>
</thead>
<tbody>
<tr>
<td>( \Delta S_t = B_1 \Delta S_{t-1} + B_2 \Delta r_{t-1} a_{t-1} + u_t )</td>
<td>0.233</td>
<td>0.035</td>
</tr>
<tr>
<td>( \Delta S_t = B_1 \Delta S_{t-1} + u_t )</td>
<td>0.221</td>
<td>0.004</td>
</tr>
<tr>
<td>( \Delta S_t = B_1 \Delta S_{t-1} + B_2 \Delta S_{t-2} + u_t )</td>
<td>0.293</td>
<td>0.008</td>
</tr>
<tr>
<td>( \Delta S_t = B_1 \Delta S_{t-1} + B_2 \Delta S_{t-1} a_{t-1} + u_t )</td>
<td>0.309</td>
<td>0.099</td>
</tr>
<tr>
<td>( S_t = S_{t-1} + B_1 S_{t-1} A_{t-1} + u_t )</td>
<td>0.258</td>
<td>0.066</td>
</tr>
</tbody>
</table>

D Model computation

To solve the model numerically, we implement the following procedure. First, we reformulate the choice variables to rectangularize the problem and simplify computational issues that arise from the endogenous mortgage constraint. The problem is reformulated in terms of the leverage ratio, defined as

\[ q_{jat} = \frac{b_{jat}}{p_t h_{jat}} \geq 0. \]

We solve the budget constraint for consumption and replace consumption in the utility function. The choices variables are therefore \( s_{jat}, h_{jat}, 1(\text{rent})_{jat}, 1(\text{adjust})_{jat}, q_{jat} \). We discretize the idiosyncratic income variable \( y_{jat} \). We simulate the quarterly process for the aggregate state vector, \( S_t \), to obtain the annual probability transition matrix for \( S_t \). We discretize \( S_t \) using the Rouwenhorst method. There are 32 grid points for \( S_t \) and two grid points for \( y_{jat} \). The value functions \( (V^{\text{own \& noadjust}}(z_{jat}), V^{\text{own \& adjust}}(z_{jat}) \) and \( V^{\text{rent}}(z_{jat}) \)) are approximated as multilinear functions in the states, where \( z_{jat} = \)
There are four endogenous states \( s_{jat}, y_{jat}, \text{assets}_{jat} \). We use 10 knots for \( b_{jat}, s_{jat}, \text{and} h_{jat}^c \), and 5 knots for \( r_{jat} \). The knots are spaced more closely together near the constraints for \( b_{jat} \) and \( s_{jat} \). The value functions are interpolated between knots.

The model is solved via backward induction from the final period of life. At each age and each case, the optimal policies are computed using a Nelder-Meade algorithm, comparing the value functions for each of the three cases (to rent, to own a home and adjust the mortgage, to own a home and not adjust the mortgage) to generate the overall policy function.

To estimate the regression used in our empirical section with data simulated from the model, we proceed as follows. The model is initialized with the same distribution of wealth and mortgage rates for 1994, obtained from the Survey of Consumer Finances and the Core Logic database. We then feed the actual path for house prices, aggregate income, and interest rates for the period 1994-2007. Each cohort faces the historical path for the state variables, as well as the realized aggregate state variables. Given their individual and aggregate states, they make their consumption, mortgage, housing, and savings decisions. Given the observed decisions and states, we estimate the regression used in our empirical work and compare our model-based estimates with the empirical estimates.

To study the effect of different fixed costs, we solve the model for two different fixed cost values. The fixed cost is known to the agents and is constant for each of the economies we consider. So, we do not study the transition dynamics associated with a decline in fixed costs.